

Application of CMS and ATLAS Simplified Models Results to Theories Beyond the Standard Model (BSM)

Ursula Laa ¹

with Sabine Kraml², Suchita Kulkarni², Andre Lessa³,
Doris Proschofsky¹, Wolfgang Waltenberger¹

¹HEPHY, Vienna

²LPSC Grenoble

³USP São Paulo

ÖPG/SPS Annual Meeting 2013
September 04, 2013



Interpreting SUSY Searches

The full Minimal Supersymmetric Standard Model (MSSM) has more than 100 free parameters

⇒ interpret results in a constrained model, for example:

- constrained MSSM (cMSSM) (4 parameters + one sign free)
- phenomenological MSSM (pMSSM) (19 parameters free)

(see e.g. Djouadi et al, arxiv:hep-ph/9901246 (1998); Berger et al, JHEP 0902, 023 (2009); AbdusSalam et al, Phys. Rev. D 81, 095012 (2010))

BUT: many mass patterns and signatures not covered by cMSSM and pMSSM has a large parameter space

⇒ alternative approach: Simplified Models Spectra



Idea of Simplified Models Spectra (SMS)

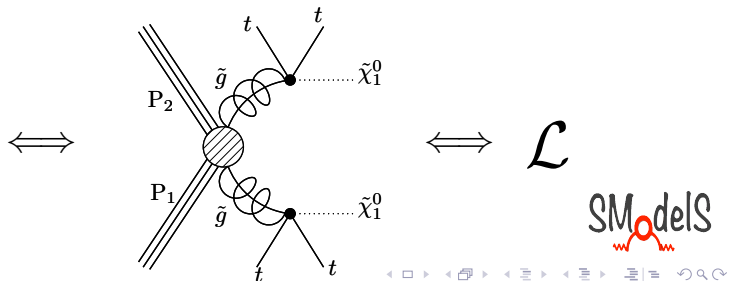
Idea: characterize new physics using effective Lagrangians, consider only a reduced set of particles

Parameters:

- phenomenologically observable masses,
- production cross sections and
- decay modes of the candidate new particles

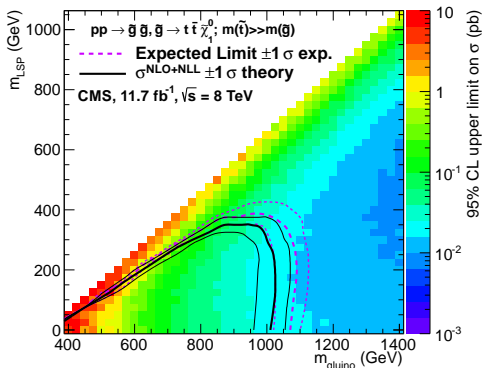
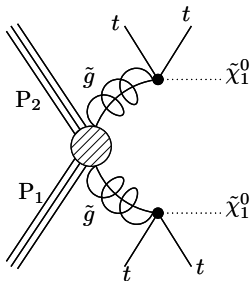
Each event can be associated with a diagram, for example the T1tttt topology:

LHC
results



Experimental Results

SUSY search results from CMS, ATLAS are interpreted in terms of Simplified Models \rightarrow maps of upper limits on production cross sections



arXiv:1303.2985

SModels

SModelS Idea

SModelS – a collaboration of phenomenologists and experimental physicists

Goal: make systematic use of the Simplified Models results

→ introduce SModelS formalism

Ingredients:

- database of experimental SMS results
- generic decomposition scheme that can decompose arbitrary fundamental models
- describe experimentally considered SMS in the language of SModelS (so in terms of conditions and constraints)
- compare a fundamental theory to the experimental results through the SModelS formalism



Database

Store upper limit maps, make the associated information accessible

Information stored in one database entry:

- map of upper limits on cross sections
- analysis name and reference
- center-of-mass energy, integrated luminosity
- SMS topology name
- SModelS description in terms of constraints, conditions

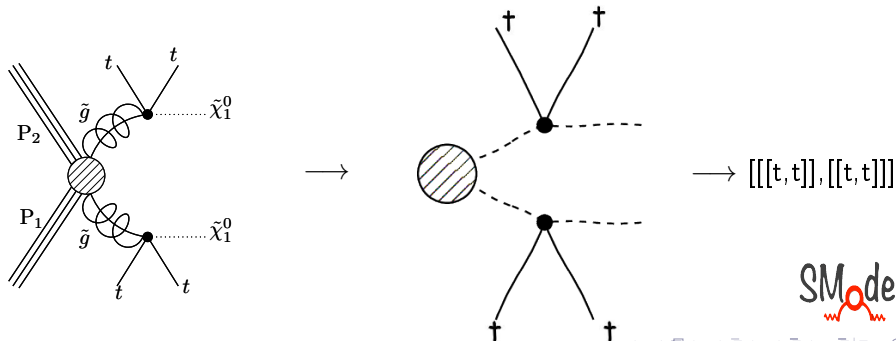
Current status: about 30 analyses included



Constraints

Generalize language of topologies for systematic application of SMS results.
 Analyses are relatively insensitive to quantum numbers other than masses
 → first approximation: BSM particles are fully described by their mass.

In that language, a topology is described by an abstraction of the associated diagrams, defined by the outgoing SM particles.



Conditions

Constraints tell us, what parts of a theory an experimental result can be applied to. In this example: those parts that produce two decay branches with two vertices with two top quarks from each vertex (plus missing energy)

However: depending on the assumptions made by an analysis, there may be additional conditions that need to be fulfilled in order for the experimental result to be applicable

⇒ express these implicit assumptions as **Conditions**



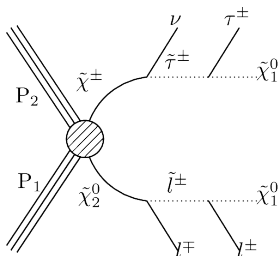
Example for Constraints and Conditions

The analysis assumes flavor democracy for all three generations on the second branch \rightarrow general expression for e, μ, τ in the Constraint

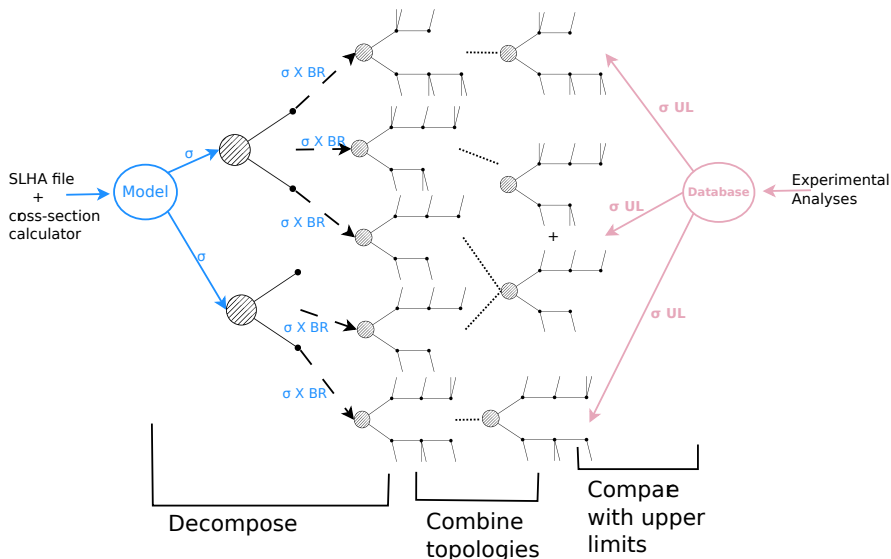
Constraint: $[[[\text{nu}], [\text{tau}]], [[L], [L]]]$

BUT: different efficiencies for the different flavors \rightarrow experimental upper limit not applicable if there are too many taus in the theory. This gives

Condition: $[[[\text{nu}], [\text{tau}]], [[L], [L]]] > 3 [[[\text{nu}], [\text{tau}]], [[\text{tau}], [\text{tau}]]]$



How it works



Application to a simple model

First application: random scan over a simple test model

Test model: simplified version of the pMSSM, with the parameters

Parameter	Range	Description
M1	100 - 1000 GeV	Gauginos mass
M01	0 - 3000 GeV	first/ second generation sfermion
M03	0 - 1000 GeV	third generation sfermion
MA	100 - 2000 GeV	Pseudoscalar Higgs
μ	100 - 1000 GeV	
$\tan\beta$	2 - 50	
Ab	-1000 - 1000 GeV	Trilinear coupling, sbottom
Atau	-1000 - 1000 GeV	Trilinear coupling, stau
At	-3 - 3*M03	Trilinear coupling, stop



Evaluating the model

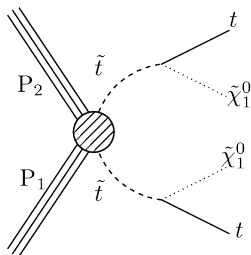
We consider only points that:

- satisfy the LEP constraints on sparticle masses
- produce a Higgs boson within a mass window of [123 GeV, 128 GeV]
- comply with the low energy observables $b \rightarrow s \gamma$, $B_s \rightarrow \mu^+ \mu^-$

To get an idea of the results we can obtain:

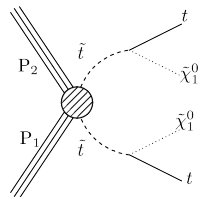
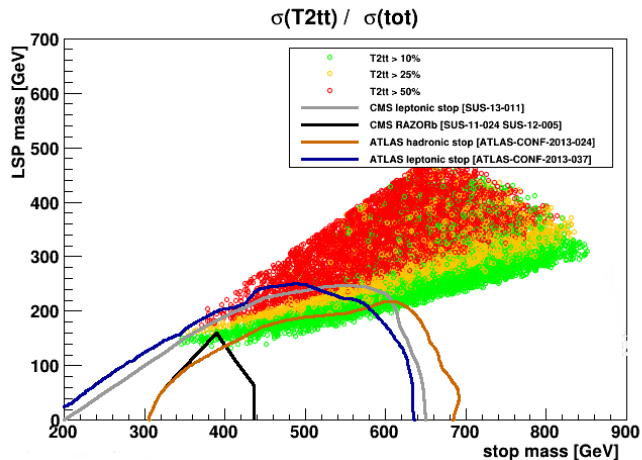
look at the results for direct stop decay (T2tt)

compare the cross sections to the experimental upper limits



SModels

T2tt - Where to look

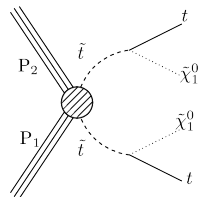
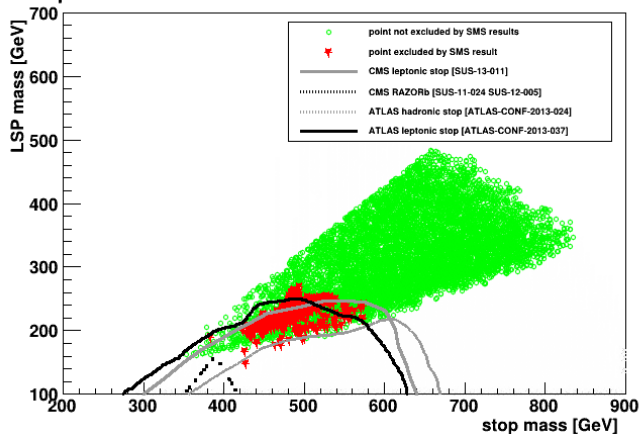


Branching ratio to T2tt

http://susy2013.ictp.it/lecturenotes/01_Monday/SUSY_Phenomenology/Lessa.pdf

T2tt - What we find

model points in which T2tt is > 25% of the total SUSY cross section



Excluded vs. not-excluded points

http://susy2013.ictp.it/lecturenotes/01_Monday/SUSY_Phenomenology/Lessa.pdf

Conclusion

We have:

- created an extensive database of SMS results
- created a formalism to systematically compare theories to these results
- applied the formalism to a simple test model

Next Steps:

- apply the results to different SUSY models (e.g. natural SUSY)
- apply the results to other models (e.g. UED)



analysis	\sqrt{s}	lum1	topologies	constraints
ATLAS-CONF-2012-105	8	5.8	T1tttt	[[t+,t-],[[t+,t-]]]
ATLAS-CONF-2012-166	8	13.0	T2tt T6bbWW	[[t],[[t]]] [[b],[W]],[[b],[W]]]
ATLAS-CONF-2013-001	8	12.8	T2bb	[[b],[[b]]]
ATLAS-CONF-2013-007	8	20.7	T1tttt T1tbtb T5WW	[[t+,t-],[[t+,t-]]] [[t,b],[[t,b]]] [[jet,jet],[W],[[jet,jet],[W]]]
ATLAS-CONF-2013-024	8	20.5	T2tt	[[t],[[t]]]
ATLAS-CONF-2013-025	8	20.7	T6ttZZ	[[Z],[t],[[Z],[t]]]
ATLAS-CONF-2013-028	8	20.7	TChiChipmStauL TChiChipmStauSmu	2.*([[nu],[ta],[[ta+],[ta-]]] + [[... [[ta-],[mu],[[nu],[ta+]]] + [[ta+]...]
ATLAS-CONF-2013-035	8	20.7	TChiWZ TChiChipmSlepL	[[W],[[Z]]] 2.*([[L],[L],[[L],[mu]]] + [[L],[L...]
ATLAS-CONF-2013-036	8	20.7	TChiChiSlepSlep	[[l+],[l-],[[l+],[l-]] + [[l-],[l+]...]
ATLAS-CONF-2013-037	8	20.7	T2tt T6bbWW	[[t],[[t]]] [[b],[W]],[[b],[W]]]
ATLAS-CONF-2013-049	8	20.3	TSlepSlep	[[e+],[[e-]] + [[mu+],[[mu-]]]
ATLAS-CONF-2013-053	8	20.1	T2bb	[[b],[[b]]]
ATLAS-CONF-2013-061	8	20.1	T1tbtb T1bbbb T1tttt	[[t,b],[[t,b]]] [[b,b],[[b,b]]] [[t,t],[[t,t]]]
ATLAS-CONF-2013-062	8	20.0	T2bb	[[b],[[b]]]

analysis	\sqrt{s}	lumi	topologies	constraints
SUS-13-011	8	19.5	T2tt T6bbWW	$[[t],[t]]$ $[[b],[W]], [[b],[W]]$
SUS-12-006	7	4.98	TChiWZ	$[[W],[Z]]$
SUS-11-013	7	4.98	TChiWZ	$[[W],[Z]]$
SUS-12-026	8	9.2	T1tttt	$[[+,+],[+,+]], [[+,+],[+,+]]$
SUS-12-011	7	4.98	T2	$[[et],[jet]]$
SUS-13-012	8	19.5	T2	$[[et],[jet]]$
			T1	$[[et,jet],[jet,jet]]$
SUS-12-024	8	19.4	T1bbbb	$[[b,b],[b,b]]$
			T1tttt	$[[t,t],[t,t]]$
SUS-13-007	8	19.4	T1tttt	$[[t,t],[t,t]]$
SUS-12-005 SUS-11-024	7	4.7	T2	$[[et],[jet]]$
SUS-13-006	8	19.5	TChiWZ TChiChipmStauStau TSlepSlep TChiChipmSlepStau TChiChipmSlepL TChipChimSlepSmu	$[[W],[Z]]$ $[[ta],[ta]], [[nu],[ta]]$ $[[+],[+]]$ $[[L],[L]], [[nu],[ta]]$ $2 \cdot ([[L],[L]], [[L],[nu]]) + [[L],[L...]]$ $[[L-],[nu]], [[nu],[L+]] + [[L+],[n...]]$
SUS-13-008	8	19.5	T6uWW T1tttt T6bbZZ T7bttWW T5tttt T5WW T6uWW T1tttt T1sttst	$[[t],[W]], [[t],[W]]$ $[[t,t],[t,t]]$ $[[b],[Z]], [[b],[Z]]$ $[[b],[t],[W]], [[b],[t],[W]]$ $[[t],[t],[t],[t]]$ $[[et,jet],[W]], [[et,jet],[W]]$ $[[+],[W-]], [[+],[W-]] + [[t-],[W+]]...$ $[[+,+],[+,+]]$ $[[+],[+]], [[+],[+]] + [[t-],[t+]]...$
SUS-13-013	8	19.5	TChiWZ TChiChipmStauStau TSlepSlep TChiChipmSlepStau TChiChipmSlepL TChipChimSlepSmu	$[[W],[Z]]$ $[[ta],[ta]], [[nu],[ta]]$ $[[+],[+]]$ $[[L],[L]], [[nu],[ta]]$ $2 \cdot ([[L],[L]], [[L],[nu]]) + [[L],[L...]]$ $[[L-],[nu]], [[nu],[L+]] + [[L+],[n...]]$
SUS-11-022	7	4.98	T1bbbb T2tt T1tttt T2 T1 T2bb T1bbbb T2tt T1tttt T2 T1 T2bb	$[[b,b],[b,b]]$ $[[t],[t]]$ $[[t,t],[t,t]]$ $[[et],[jet]]$ $[[et,jet],[jet,jet]]$ $[[b],[b]]$ $[[b,b],[b,b]]$ $[[t],[t]]$ $[[t,t],[t,t]]$ $[[et],[jet]]$ $[[et,jet],[jet,jet]]$ $[[b],[b]]$ $[[b,b],[b,b]]$ $[[t],[t]]$ $[[t,t],[t,t]]$ $[[et],[jet]]$ $[[et,jet],[jet,jet]]$ $[[b],[b]]$
SUS-12-028	8	11.7	T1bbbb T2tt T1tttt T2 T1 T2bb	$[[b,b],[b,b]]$ $[[t],[t]]$ $[[t,t],[t,t]]$ $[[et],[jet]]$ $[[et,jet],[jet,jet]]$ $[[b],[b]]$

